ISAAC 2009 - Dynamical Systems Sessions

For full program information visit conference web site http://www.isaac2009.org

TUESDAY MORNING

HUXLEY 408

9.00-9.30

Flavio Abdenur

New results on stability and genericity

9.30-10.00

Keith Burns

Partial hyperbolicity and ergodicity

10.00-10.30

Giovanni Forni

Limiting distributions for horocycle flows

MONDAY AFTERNOON

HUXLEY 408

14.00-14.30

José Alves

On the liftability of absolutely continuous ergodic expanding

measures

14.30-15.00

Jorge Freitas

Rates of mixing, large deviations and recurrence times.

15.00-15.30

Mike Todd

Thermodynamic formalism for unimodal maps

BREAK

16.00-16.30

Qiudong Wang

Dynamics of periodically perturbed homoclinic solutions

16.30-17.00

Pierre Berger

Abundance of one dimensional non uniformly hyperbolic attractors for surface dynamics

TUESDAY AFTERNOON

HUXLEY 408

14.30-15.00

Giovanni Panti

Dynamical systems arising in algebraic logic

15.00-15.30

Marco Abate

Poincaré-Bendixson theorems in

holomorphic dynamics

15.30-16.00

Thomas Jordan

Hausdorff dimension of projections of

McMullen-Bedord carpets

16.00-16.30 BREAK

16.30-17.00

Jörg Schmeling

Large intersection properties of some

invariant sets in number-theoretic

dynamical systems

17.00-17.15

Chen-chang Peng

Existence of transversal homoclinic orbits

for Arneodo-Coullet-Tresser map

17.15-17.30

Bau-Sen Du

On the nature of chaos

17.30-17.45

Asad Niknam

Approximately inner C*-Dynamical Systems

1745-12 00

Svetlana Budochkina

First integrals in mechanics of infinite-

dimensional systems

FRIDAY AFTERNOON HUXLEY 658

14.30-15.00

Michael Field

Mixing for Flows and Skew

Extensions

15.00-15.30

Matthew Nicol

A dynamical Borel-Cantelli lemma

for a class of non-uniformly

hyperbolic systems

15.30-16.00

Yi-Chiuan Chen

On Topological Entropy of Billiard

Tables with Small Inner Scatterers

BREAK

16.30-17.00

Valery Gaiko

Limit Cycle Problems and

Applications

17.00-17.30

Jan Cees van der Meer

Fourfold 1:1 resonance, relative

equilibria and moment polytopes

17.30-18.00

Felix Sadyrbaev

Bifurcations of period annuli and solutions of nonlinear boundary value

problems

18.00-18.30

Martin Rasmussen

Bifurcation of random

diffeomorphisms with bounded noise

on the maximum number and relative position of their limit cycles in two special cases of such systems. First, using geometric properties of four field rotation parameters of a new canonical system, we present the proof of our earlier conjecture that the maximum number of limit cycles in a quadratic system is equal to four and their only possible distribution is (3:1). Then, by means of the same geometric approach, we solve the Problem for Liénard's polynomial system (in this special case, it is considered as Smale's Thirteenth Problem). Besides, generalizing the obtained results, we present the solution of Hilbert's Sixteenth Problem on the maximum number of limit cycles surrounding a singular point for an arbitrary polynomial system and, applying the Wintner-Perko termination principle for multiple limit cycles, we develop an alternative approach to solving the Problem. By means of this approach we complete also the global qualitative analysis of a generalized Liénard cubic system, a neural network cubic system, a Liénard-type piecewise linear system and a quartic dynamical system which models the population dynamics in ecological systems.

Hausdorff dimension of Projections of McMullen-Bedford carpets

THOMAS JORDAN

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Joint work with Andrew Ferguson and Pablo Shmerkin. Marstand's Projection Theorem states that If $E \subset \mathbb{R}^2$ has Hausdorff dimension less than 1 then orthogonal projections in almost all directions preserve this dimension. For general sets very little is known about exactly which directions preserve the dimension. We show that if E is a type of self-affine set investigated by Bedford and Mc-Mullen then orthogonal projections in all directions in $(0, \pi/2)$ preserve the dimension. This is an extension of a result on products of Cantors sets by Peres and Shmerkin.

Fourfold 1:1 resonance, relative equilibria and moment polytopes

JAN CEES VAN DER MEER

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A uniparametric 4-DOF family of perturbed Hamiltonian oscillators in 1:1:1:1 resonance, with two additional rotational symmetries, is studied. These systems generalize several models of perturbed Keplerian systems. After normalization the truncated normal form is reduced in stages to a one-degree-of-freedom system. In this reduction process moment polytopes turn up describing part of the relative equilibria for such systems.

Joint work with S. Ferrer, G. Diaz, J. Egea, J.A. Vera.

A dynamical Borel-Cantelli lemma for a class of nonuniformly hyperbolic systems

MATTHEW NICOL

Department of Mathematics University of Houston Houston, Texas 77204-3008 United States nicol@math.uh.edu

We establish a dynamical Borel-Cantelli lemma for shrinking balls for certain classes of non-uniformly hyperbolic dynamical systems. As an application we establish results on almost sure behavior of extremes for these classes of dynamical systems.

This work is joint with Chinmaya Gupta and William Ott (both University of Surrey).

Approximately inner C^* -dynamical systems

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In quantum statistical mechanics one often describe a physical system in terms of a C^* -algebra A. The dynamics or time evoluton of the systems is given in terms of one parameter group of *-automophisims on A. We study such C^* -dynamical systems. We prove that under some restriction the dynamic is approximately inner. Moreover we construct a dynamical system which is not approximatelly inner and therefore without ground state.

Dynamical systems arising in algebraic logic

GIOVANNI PANTI

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Algebraic logic studies the algebras associated to certain logical systems. Standard examples are boolean algebras, MV-algebras, Heyting algebras, associated to classical logic, many-valued logic, intuitionistic logic, respectively. Typically, these algebras have dual spectral spaces, and can be represented as algebras of functions on the spectrum: automorphisms of the algebras correspond then to dynamical systems on the dual.

We survey here the structure of the relevant dynamical systems, the results that have been obtained and their significance, the open problems and directions for further research.

Existence of transversal homoclinic orbits for Arneodo-Coullet-Tresser map

CHEN-CHANG PENG

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In this talk, first we study difference equations

 $x_{k+n} = F(x_{k+n-1}, \dots, x_k, b_1 x_{k-1}, \dots, b_m x_{k-m})$